

- Evaluate $\iint_R (y+x) dA$, where R is the region bounded by $x=0$, $y=0$, and $2x+y=4$.
- For each of the double integrals given below, first graph the region of integration. Then reverse the order of integration for the iterated integral and then evaluate the integral exactly.
 - $\int_0^1 \int_y^1 3xe^{x^3} dx dy$
 - $\int_0^1 \int_{\sqrt{x}}^1 \frac{3}{4+y^3} dy dx$
 - $\int_0^\pi \int_y^\pi \left(1 - \frac{\cos x}{x}\right) dx dy$
- Express the volume of the solid bounded by the curves $z=x+2$, $z=0$, $x=y^2-2$ and $x=y$ as a double integral in rectangular coordinates. Also, sketch the region in the plane for the integration. DO NOT EVALUATE THE INTEGRAL.
- Evaluate $\iint_R x dA$ where R is the region in the polar plane bounded by $r=1-\sin\theta$.
- Calculate the mass of a lamina that occupies the plane region R bounded by the curve $(x-1)^2 + y^2 = 1$ with density function $\rho(x,y) = \frac{1}{\sqrt{x^2+y^2}}$.
- Sketch the region of integration for $\int_{\pi/4}^{3\pi/4} \int_1^{2/\sin\theta} r dr d\theta$.
- Find the surface area of the surface S where S is first octant portion of the hyperbolic paraboloid $z=x^2-y^2$ that is inside the cylinder $x^2+y^2=1$.
- Let $I = \int_0^2 \int_{x^2}^4 \int_0^{4-y} x+yz dz dy dx$. Sketch the solid Q over which the iterated integral takes place, and rewrite the iterated integral in the order $dx dz dy$. DO NOT EVALUATE THE INTEGRAL.
- Find the mass of the cylinder of radius 3 between $z=0$ and $z=4$ if the density at the point (x,y,z) is given by $\delta(x,y,z) = z + \sqrt{x^2+y^2}$.
- Let Q be the tetrahedron bounded by the coordinate planes and the plane $2x+5y+z=10$. Find the mass and center of mass of Q if the density at a point $P(x,y,z)$ is directly proportional to the distance from P to the xz -plane.
- Let Q be the region between $z=(x^2+y^2)^{3/2}$ and $z=1$, and inside $x^2+y^2=4$. Sketch the region Q , and then write $\iiint_Q \sqrt{x^2+y^2} e^z dV$ as an integral in the best (for this example) 3-dimensional coordinate system. DO NOT EVALUATE THE INTEGRAL.
- Set up a triple integral in spherical coordinates for the volume V of the region between $z=\sqrt{3x^2+3y^2}$ and the sphere $x^2+y^2+z^2=16$. Be sure to include a sketch of the region, and DO NOT EVALUATE THE INTEGRAL.
- Let Q be the region between $z=\sqrt{3x^2+3y^2}$ and $z=\sqrt{4-x^2-y^2}$. Sketch the region Q .
 - Set up, but do not evaluate a triple integral in rectangular coordinates that gives the volume of Q .
 - Set up, but do not evaluate a triple integral in cylindrical coordinates that gives the volume of Q .
 - Set up, but do not evaluate a triple integral in spherical coordinates that gives the volume of Q .
 - Pick one of the triple integrals you found above and evaluate it in order to find the volume of Q exactly.