

Ch. 20 Nuclear Chem

- nuclei change! ($C \rightarrow N$, $U \rightarrow Ba$ etc.)
- (compare to chem reactions)
- mass changes slightly $\Rightarrow$ large energy changes

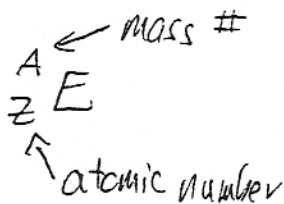
$$E = mc^2$$

Applications (20.9)

- 17% world-wide
~70% of US electricity
- (current: all waste for one reactor in one barrel of "glass")
- ① Energy source
 - cheap, efficient - no greenhouse gases
 - ② Medicinal
 - a) diagnostic tracers, "imaging"
 - PET positron emission tomography
 - thyroid, heart, tumors, bone studies
 - brain imaging, blood flow tract
 - b) therapy: anti-cancer radiation therapy
 - ③ Radioactive tracers
 - ~~diagnosis~~
 - unravel biological pathways
 - photosynthesis
 - ④ Age dating
 - ^{14}C for archaeological dates
 - K/Ar dating for geological
 - ⑤ Food irradiation: kill/reduce bacteria, molds, yeast (aka pasteurization)
 - ⑥ Bombs!!
 - fission (original)
 - fusion (H-bomb)

20.1 Radioactivity: Spontaneous Disintegration of Nucleus ("but may be slow")

A. Nuclear Review: Symbols for "Nuclei"



Z = # of protons (redundant, given element symbol)

A = protons + neutrons sum

~~scribbles~~ "nucleons"

$$n's = A - Z$$

"isotopes" differ in # of neutrons (^{12}C , ^{13}C , ^{14}C)

"radioisotopes" - release radiation

shorthand: $^{12}_6\text{C} = {}^{12}\text{C} = \text{C}-12 = 12-\text{C}$

B. Common "particles" involved in Radioactivity & Nucleus

- mention names, symbols, constitution
 - different types have different penetrating power, biological impact (20.8)
 - complex between # rays, (roentgen, R) absorbed ray (rad: radiation absorbed dose) and rem (bio effectiveness) effective rem = quality factor $\times$ dose
- discuss {

20.2 Nuclear Reactions: Equations + Balancing

- ① balance mass sum (top)
 ② charge (bottom)

5 types of Radioactive Decay (Spontaneous)

	Isotope Change	Effect on n/p ratio
① alpha emission	$\begin{matrix} A \\ Z \end{matrix} \longrightarrow \begin{matrix} 4 \\ 2 \end{matrix} \text{He} + \begin{matrix} A-4 \\ Z-2 \end{matrix}$	little impact;
② beta emission	$\begin{matrix} A \\ Z \end{matrix} \longrightarrow \begin{matrix} 0 \\ -1 \end{matrix} e + \begin{matrix} A \\ Z+1 \end{matrix}$	lower
③ positron emission	$\begin{matrix} A \\ Z \end{matrix} \longrightarrow \begin{matrix} 0 \\ +1 \end{matrix} e + \begin{matrix} A \\ Z-1 \end{matrix}$	higher
④ electron capture	$\begin{matrix} A \\ Z \end{matrix} + \begin{matrix} 0 \\ -1 \end{matrix} e \longrightarrow \begin{matrix} A \\ Z-1 \end{matrix}$	higher
⑤ gamma emission	$\begin{matrix} A \\ Z \end{matrix} \longrightarrow \begin{matrix} 0 \\ 0 \end{matrix} \gamma + \begin{matrix} A \\ Z \end{matrix}$	no impact

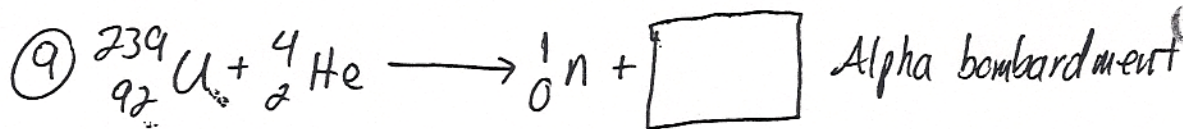
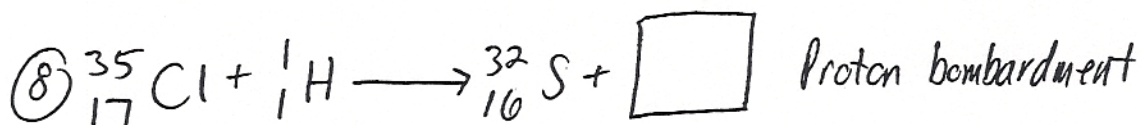
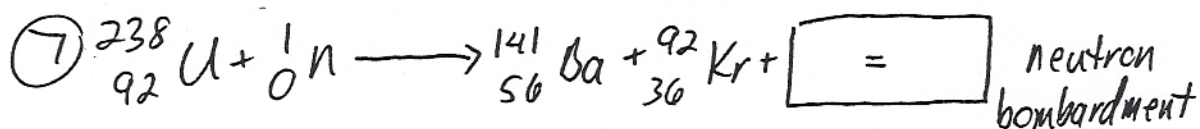
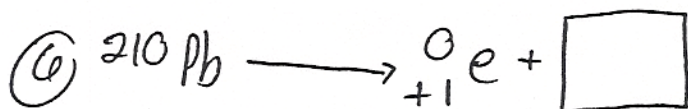
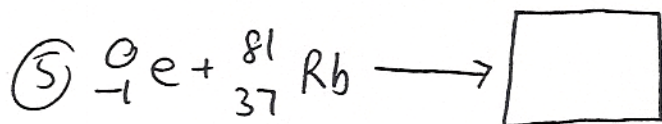
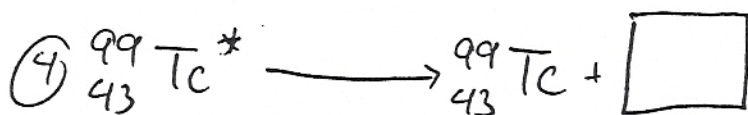
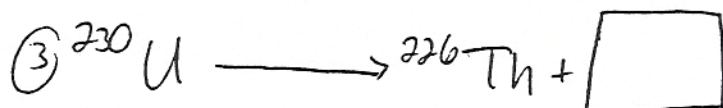
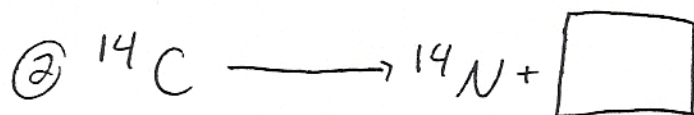
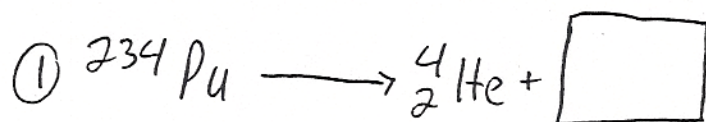
Radioactive Series: many decays give unstable daughters, which then undergo serial decays

Braun Fig 21.4

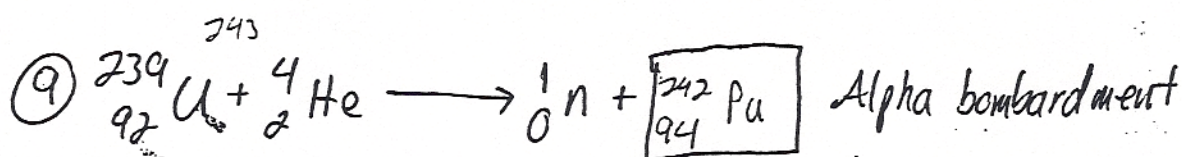
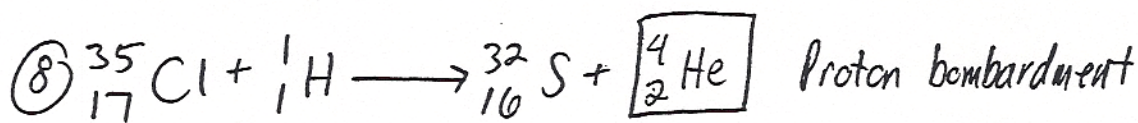
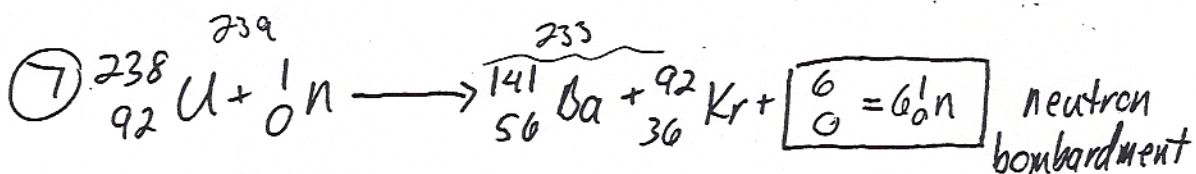
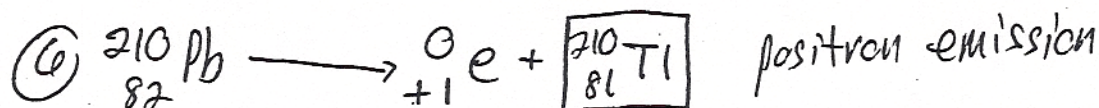
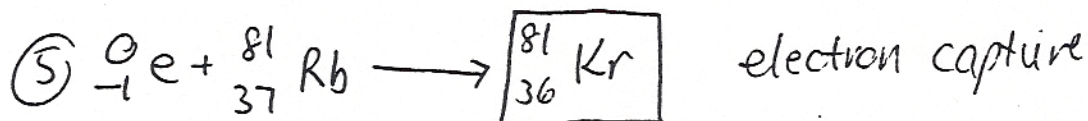
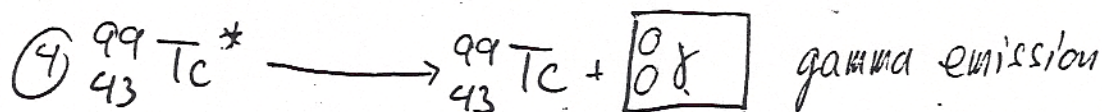
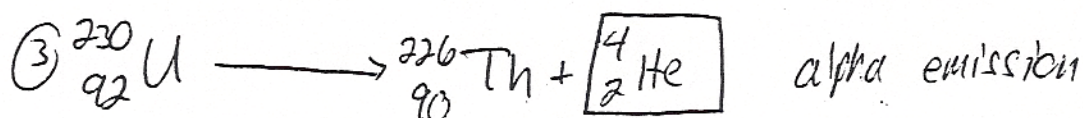
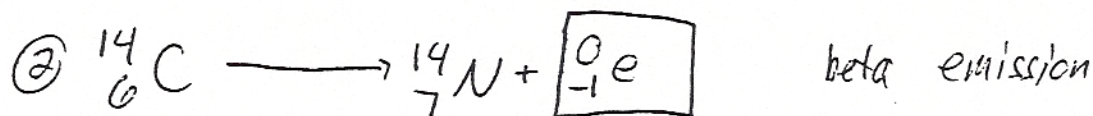
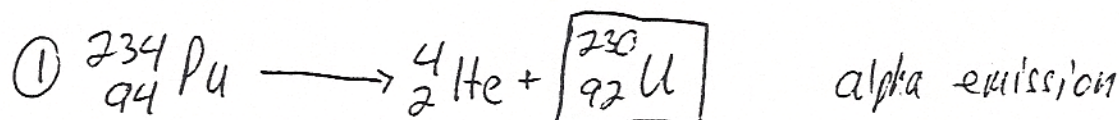
- α, β, β (any sequence common series to odd 4n's)

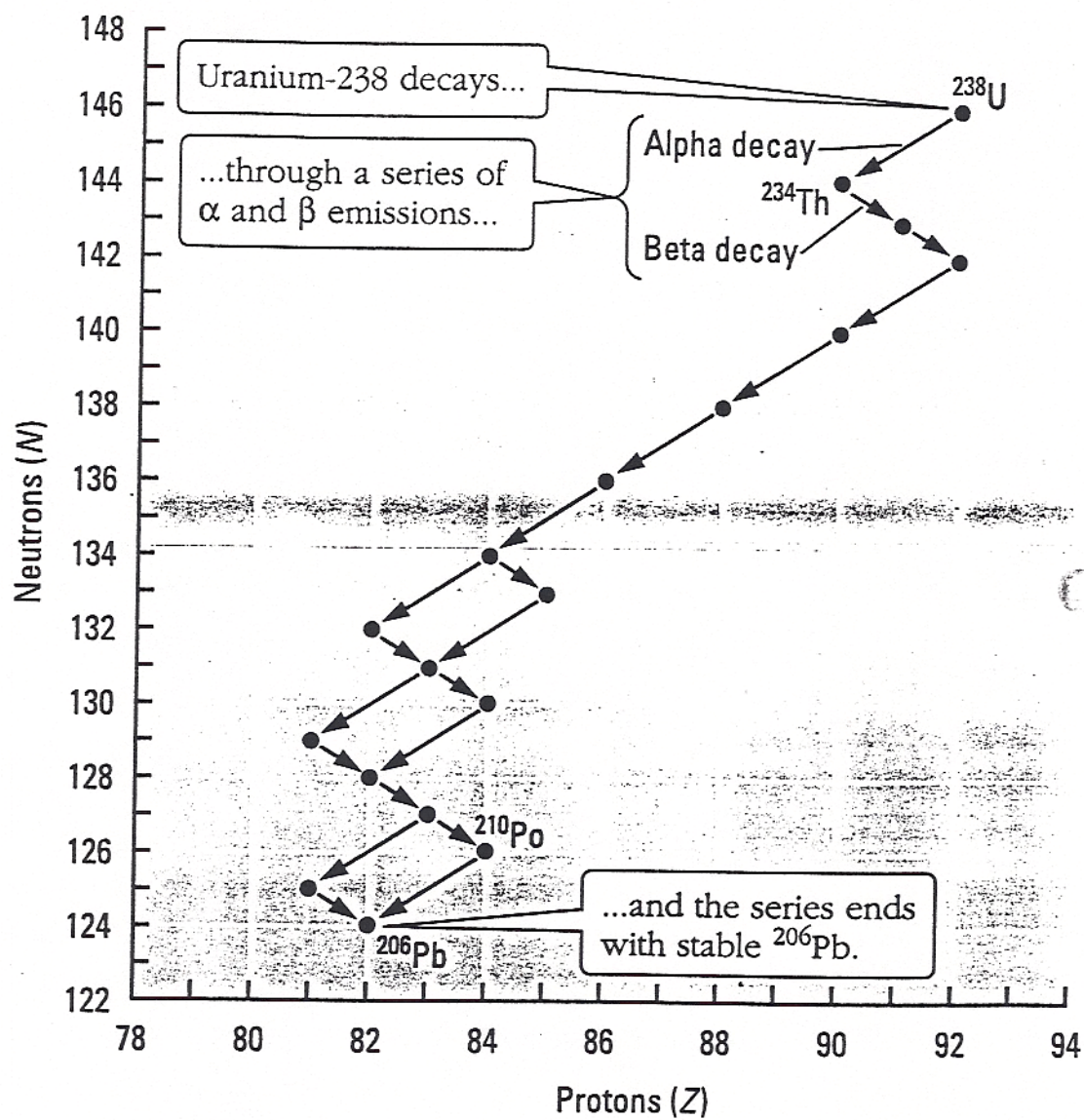
$$\begin{matrix} 4 \\ 2 \end{matrix} \text{He} + \begin{matrix} 0 \\ -1 \end{matrix} e + \begin{matrix} 0 \\ -1 \end{matrix} e = \begin{matrix} 4 \\ 2 \end{matrix} \equiv 4n$$

Fill in the Holes, Name the Processes



Fill in the Holes, Name the Processes





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Figure 20.1

20.5 Artificial Transmutations: By Bombardment with α or Other Nuclei

- ① Key: must balance in same way
- ② often accompanied by production of side particles, often multiple neutrons
- ③ Few radioactive nuclei still found in nature - most for research or medicine are made by bombardment

Handout 20.4 7-9

20.3 Stability of Atomic Nuclei

A. Physics Background

a. 3 Fundamental Forces

- ① gravity
- ② electrostatic (opposite charges attract)
- ③ "strong nuclear force"

b. p/p repulsion destabilizes (nuclei $> H$) (bad)

- increases sharply with # of p 's
- why do any atoms beyond H survive?

c. "strong nuclear force" (good)

- attracts nucleides, holds nucleus together
- unknown how: deduction!
- increasing n 's needed so nuclear force can balance electrostatic repulsion

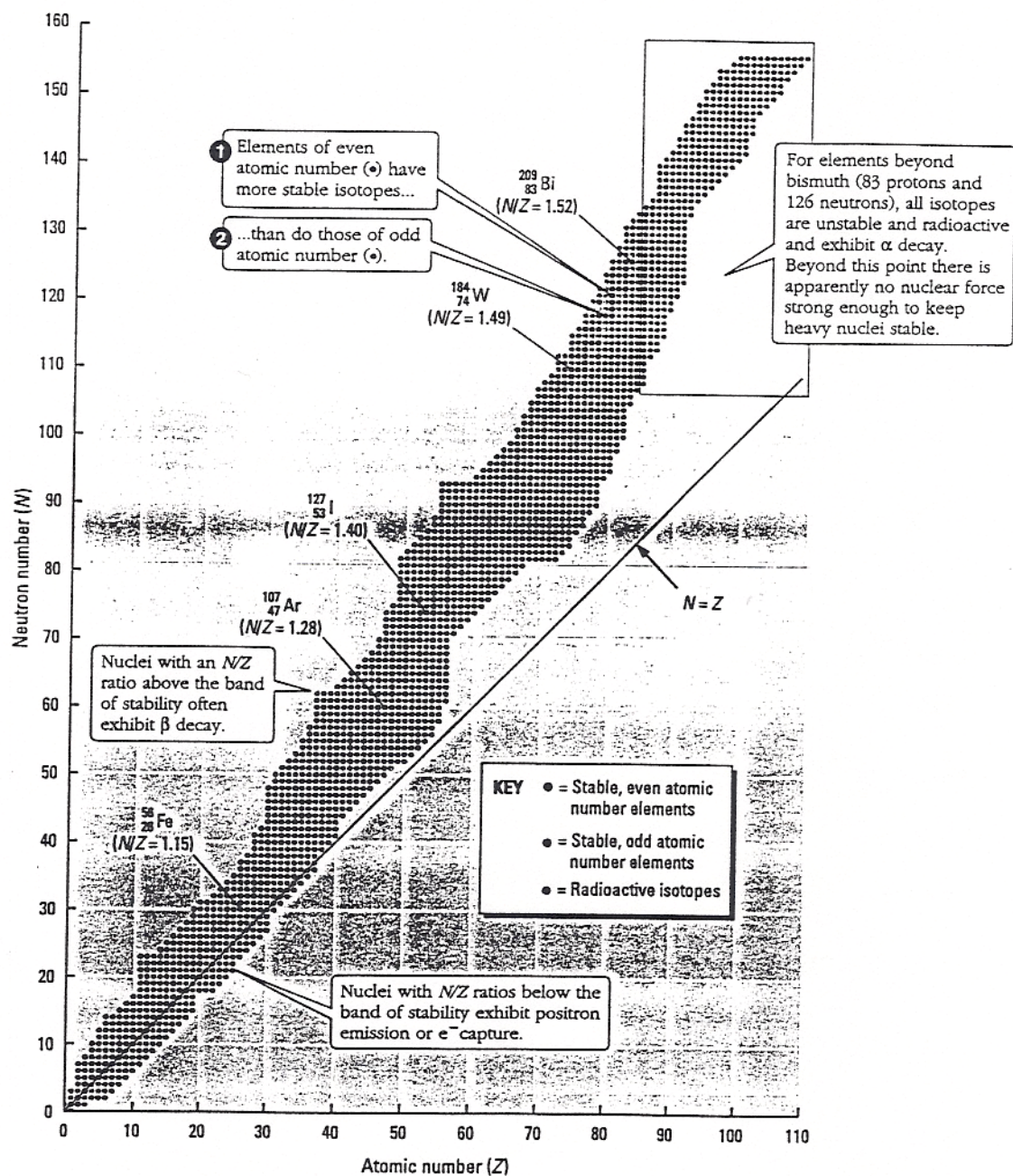
Fig 20.2, 21.2 Brown

B. Decay Patterns: Band of Stability, Target (n/p ratio)

① Rule of 83: $Z > 83$ radioactive

- nuclear force can't keep up!
- most elements @ $Z < 83$ have at least one stable isotope (${}_{43}\text{Tc}$, ${}_{61}\text{Pm}$)
technetium promethium

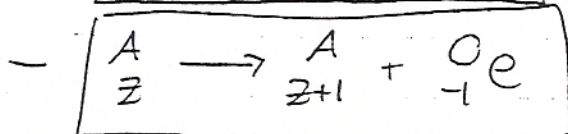
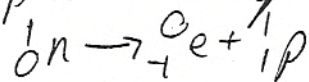
- $Z > 83$ emit α to reduce Z



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Figure 20.2

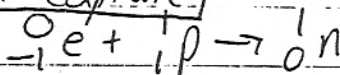
For $Z < 83$:

② Above band of stability: $\frac{n}{p}$ too high
 $\Rightarrow$ β emission ($n \rightarrow p$)



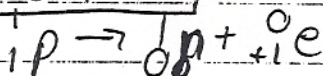
③ Below band of stability: $\frac{n}{p}$ too low
 so convert a $p \rightarrow n$
 2 ways

a. electron capture



or

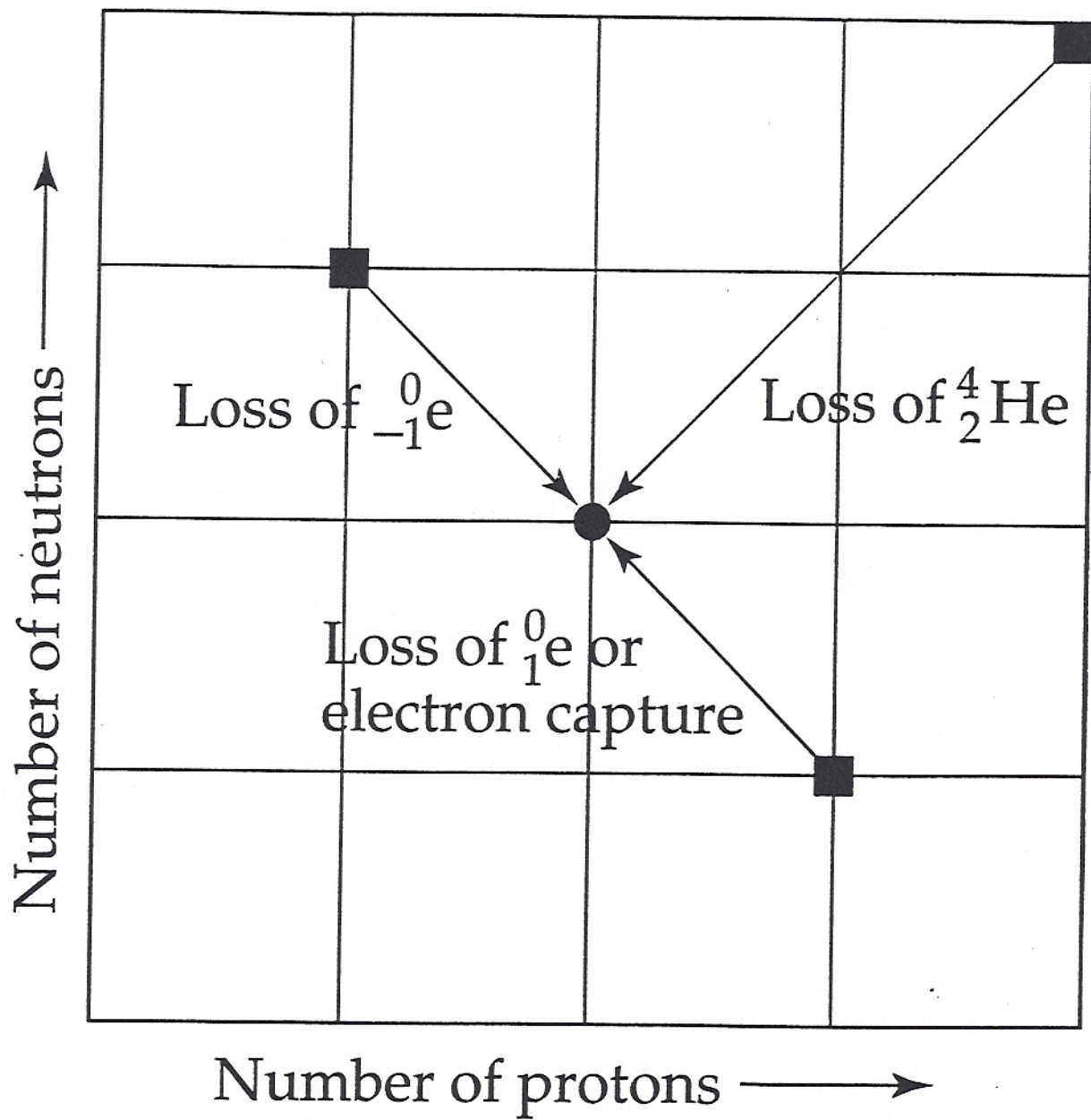
b. positron emission



- electron capture more likely for high Z

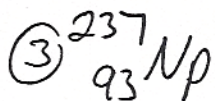
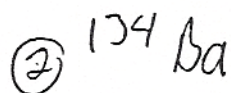
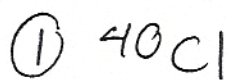
* Practical: compare $\frac{n}{p}$ ratio to ratio in periodic table!!

Note: some kind of stability pattern, pairing
 - even # of p 's, n 's is preferred



(20-8)

Predict how the following would decay,
by α , β , or positron emission, or by electron
capture. Then draw the nuclide produced.



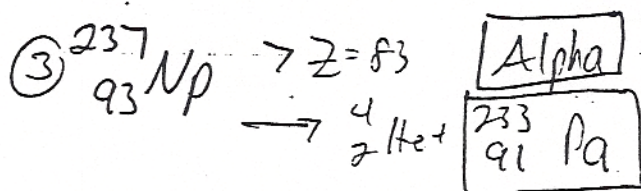
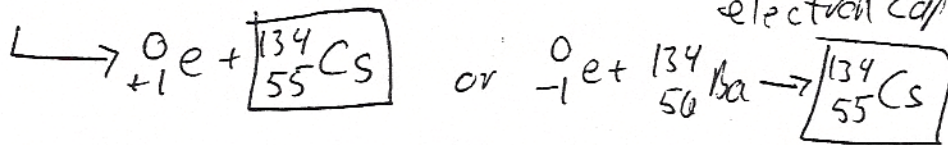
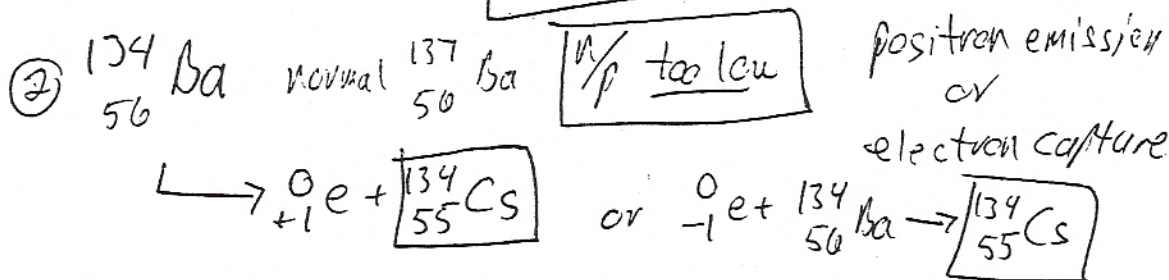
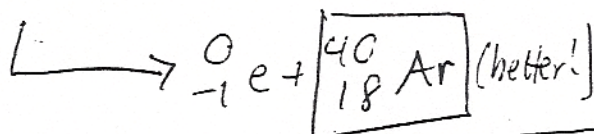
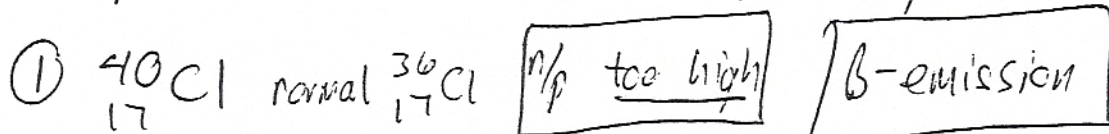
④ What is the binding energy in kJ/mol for $^{16}_8\text{O}$?

Given $^{16}_8\text{O}$	15.9978
^1_1p	1.00783
^1_0n	1.00867

⑤ For the above, what is the binding energy in
kJ/mol nucleons?

(20-8)

Predict how the following would decay, by α , β , or positron emission, or by electron capture. Then draw the nuclide produced.



④ What is the binding energy in kJ/mol for ${}^{16}_8\text{O}$?

Given ${}^{16}_8\text{O}$ 15.978 amu $= (8 \times 1.00783) + (8 \times 1.00867) - 15.978$
 ${}^1_1\text{p}$ 1.00783 $= 16.132 - 15.978 = 0.154 \text{ g/mol}$
 ${}^1_0\text{n}$ 1.00867 $E = mc^2 = (1.54 \times 10^{-5} \text{ kg}) (3.0 \times 10^8 \text{ m/s})^2 \left(\frac{1 \text{ kJ}}{1000 \text{ J}} \right)$
 $= 1.386 \times 10^{10} \text{ kJ/mol}$

⑤ For the above, what is the binding energy in kJ/mol nucleons? 16 nucleons/mol ${}^{16}_8\text{O}$

so $\times \frac{\text{kJ}}{\text{nucleon}} = \frac{1.386 \times 10^{10} \text{ kJ} / 1 \text{ mol } {}^{16}_8\text{O}}{16 \text{ nucleons}} = \boxed{8.46 \times 10^8 \frac{\text{kJ}}{\text{mol nucleon}}}$

C. Binding Energy

- the mass of a nuclide is less than the sum of its component n's + p's

Missing mass (Δm) equals energy, the
 "nuclear binding energy" = "strong nuclear force"

"mass deficit"

$$\Delta m = (\text{sum of p's + n's}) - \text{actual}$$

$$E = \Delta m c^2$$

Δm in kg (convert from g)
 E in J (convert to kJ)

Handout 208

Get answers in either kJ/mol (of nuclide)
 or kJ/"mole nucleon"

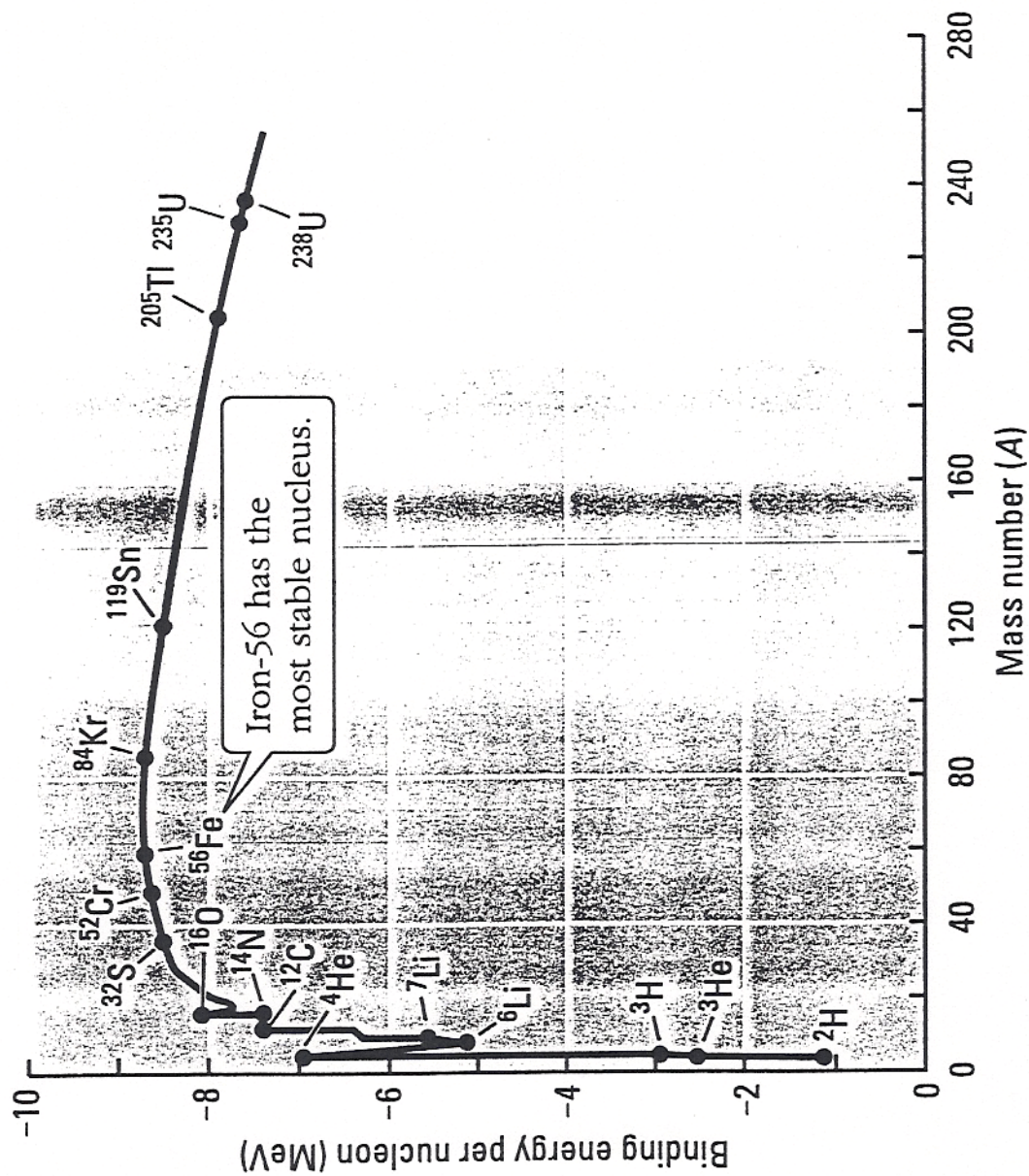
- Fe-56 is most stable
- the great energy of nuclear reactions is because "binding energy" is released

Fig 20.3

Fission (20.6): large nuclei fragment into smaller nuclides

Fusion (20.7): small combine to give bigger

Both occur to approach Fe-56.



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Figure 20.3

20.4 Rates of Radioactive Decay

A. Nuclear half-life: radioisotopes decay with 1st order rate laws, have characteristic $t_{1/2}$

Isotope $t_{1/2}$

$^{238}_{92}\text{U}$

5×10^9 years

- slow enough so plenty left

^{40}K

1×10^9 years

- used to date old rocks
(daughter is ^{40}Ar)

^{14}C

5730 years

- medium, used to date
human artifacts

^{131}I

8 days

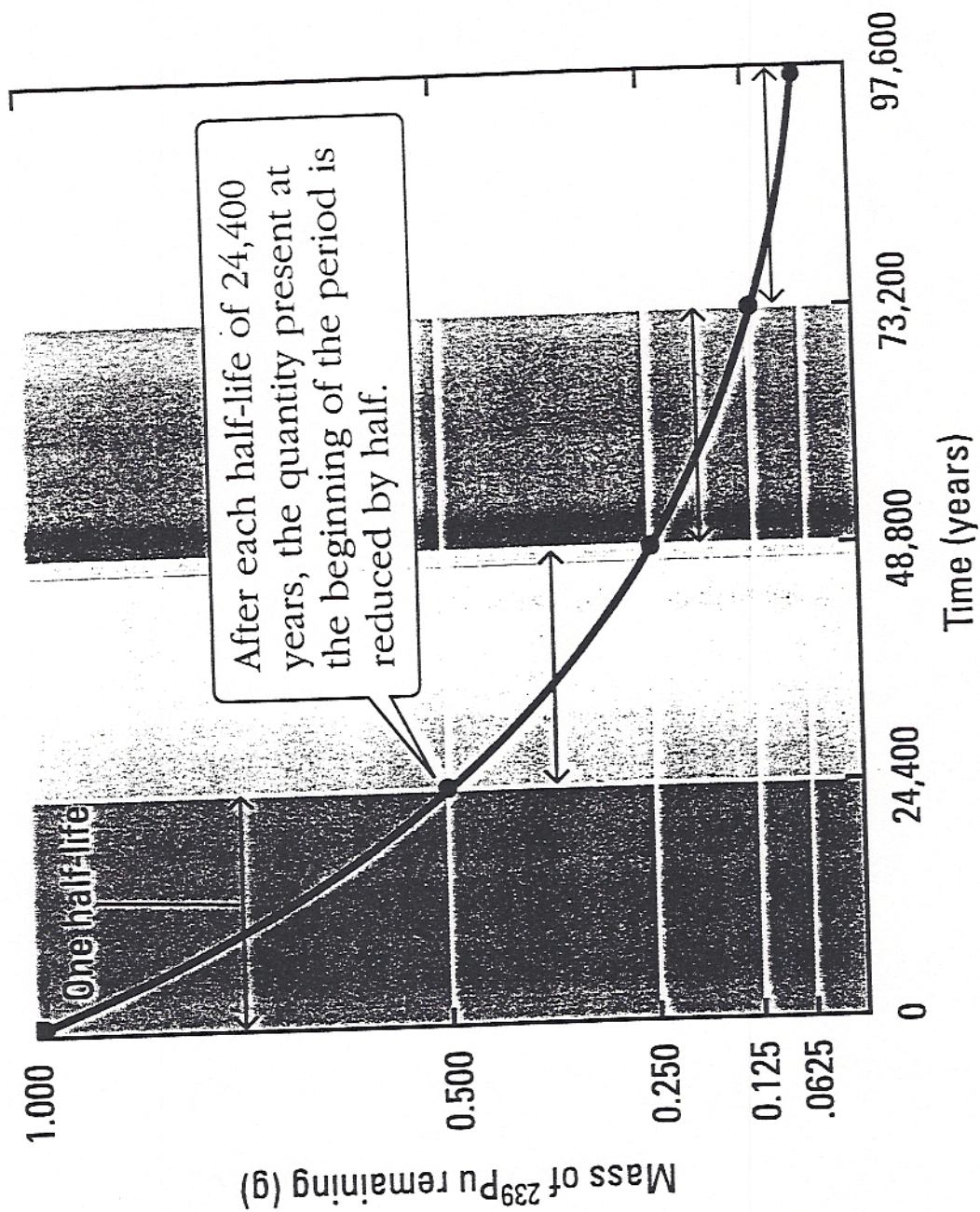
^{24}Na

15 hr

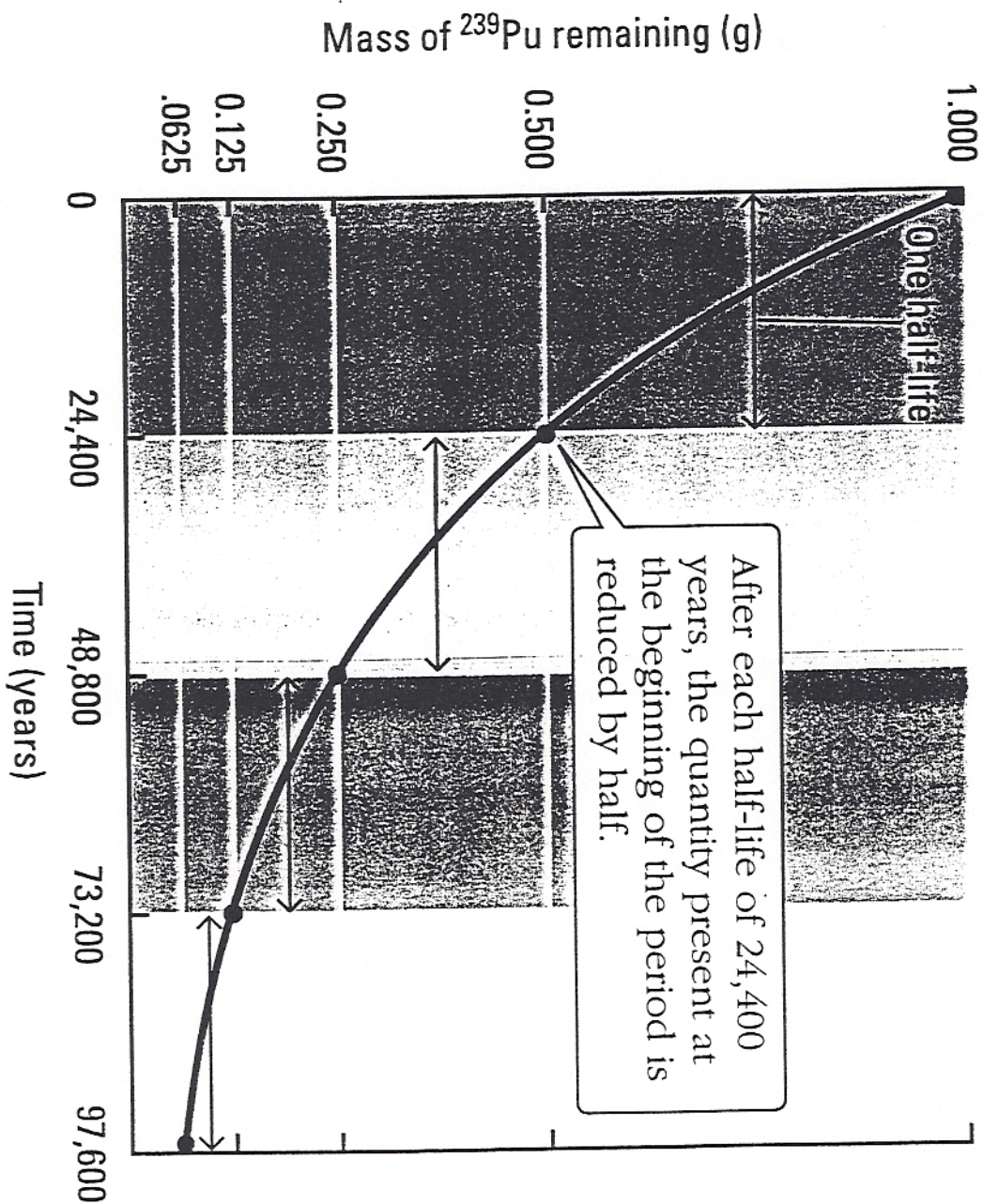
^{99}Tc

6 hr

} Short, used in
medical imaging

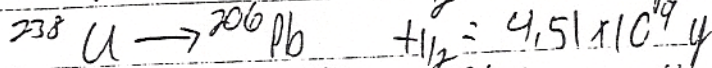
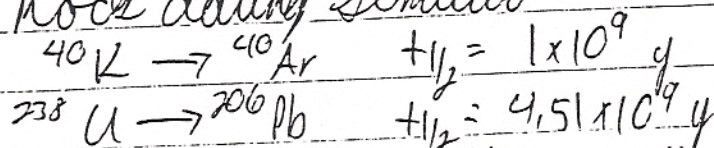


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Figure 20.4



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Figure 20.4

Rock dating similar:



- ratio of ^{238}U to ^{206}Pb enables dates $(m_0 = ^{238}\text{U} + ^{206}\text{Pb})$
 $m_t = ^{238}\text{U}$

- assumes that all ^{40}Ar , all ^{206}Pb came by decay: safe, because otherwise multiple isotopes of ^{206}Pb present

20.6 Nuclear Fission

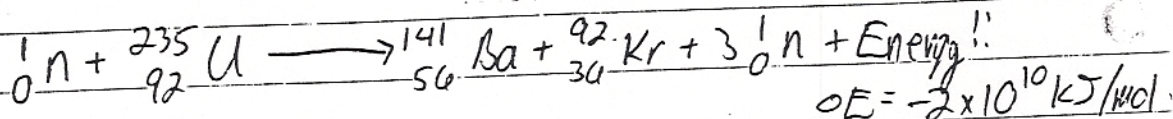


Fig 20.6

Keys

- ① humongous energy released!!
- ② fact: neutron bombardment doesn't always result in same fission: sometimes other daughter nuclei produced [Fig 20.7]
- ③ neutron: both a reactant and a product!!
 - more produced than used!!
- ⇒ ④ branching "chain reaction" [Fig 20.7]
 - more n's ⇒ more fissions ⇒ more n's ⇒ more fissions etc.
 energy energy
- ⑤ "Critical Mass": enough ^{235}U to support chain
 - "subcritical" - most n's escape, < 1 follow up rxn / rxn slows and quits

(2012)

① ^{99}Tc $t_{1/2} = 6.0$ hours. What percentage of a dose of ^{99}Tc (used for a brain imaging scan) is left after 24 h?

② ^{131}I $t_{1/2} = 8.0$ days. How long to decay to 10% of original?

③ ^{14}C $t_{1/2} = 5730$ years. "Live" carbon has activity of 15.3. A shirt is claimed to be Jesus's, but is found to have carbon activity of 14.0. How old is the shirt, and can the claim be true?

④ ^{90}Sr $t_{1/2} = 28.8$ y. If 42 g of ^{90}Sr is buried, how much is left after 120 years?

① ^{99}Tc $t_{1/2} = 6.0$ hours. What percentage of a dose of ^{99}Tc (used for a brain imaging scan) is left after 24 h?

Qual: 24 h = 4 half lives

$$\ln\left(\frac{N_t}{N_0}\right) = -0.693\left(\frac{t}{t_{1/2}}\right)$$

$$100\% \rightarrow 50\% \rightarrow 25\% \rightarrow 12.5\% \rightarrow \boxed{6.25\%}$$

$$\text{or } \ln\frac{100\%}{x} = -0.693\left(\frac{24}{6}\right) = -2.772 \quad \frac{100\%}{x} = e^{-2.772} = 15.99 \quad \boxed{x = 6.25\%}$$

② ^{131}I $t_{1/2} = 8.0$ days. How long to decay to 10% of original?

$$\ln\left(\frac{100\%}{10\%}\right) = -0.693\left(\frac{t}{8}\right) \quad \boxed{t = 26.6 \text{ days}}$$

③ ^{14}C $t_{1/2} = 5730$ years. "Live" carbon has activity of 15.3. A shirt is claimed to be Jesus's, but is found to have carbon activity of 14.0. How old is the shirt, and can the claim be true?

$$\ln\left(\frac{15.3}{14.0}\right) = -0.693\left(\frac{t}{5730}\right) \quad \boxed{t = 734 \text{ years}}$$

Too new to be true!!

$$8.88e^{-2} = \left(\frac{0.693}{5730}\right)t$$

④ ^{90}Sr $t_{1/2} = 28.8$ y If 42 g of ^{90}Sr is buried, how much is left after 120 years?

$$\ln\frac{42}{x} = -0.693\left(\frac{120}{28.8}\right) = -2.89$$

$$\frac{42}{x} = e^{-2.89} = 17.95 \quad \boxed{x = 2.34 \text{ g}}$$

B. Decay Math

$$k + t_{1/2} = 0.693 \quad \text{and} \quad \ln\left(\frac{m_0}{m_t}\right) = kt$$

$$\ln\left(\frac{m_0}{m_t}\right) = 0.693 \left(\frac{t}{t_{1/2}} \right)$$

↑ solving for remaining material after time

$$t = \left(\frac{t_{1/2}}{0.693} \right) \ln\left(\frac{m_0}{m_t}\right)$$

↑ solving for time

m_0 = original amount
 m_t = amount after time t

Can be in mass,
 or emission rate,
 or activity, or
~~100%~~ 100% → percent.

C. C-14 and Age Dating

^{14}C $t_{1/2}$ = 5730 year Human History Dates

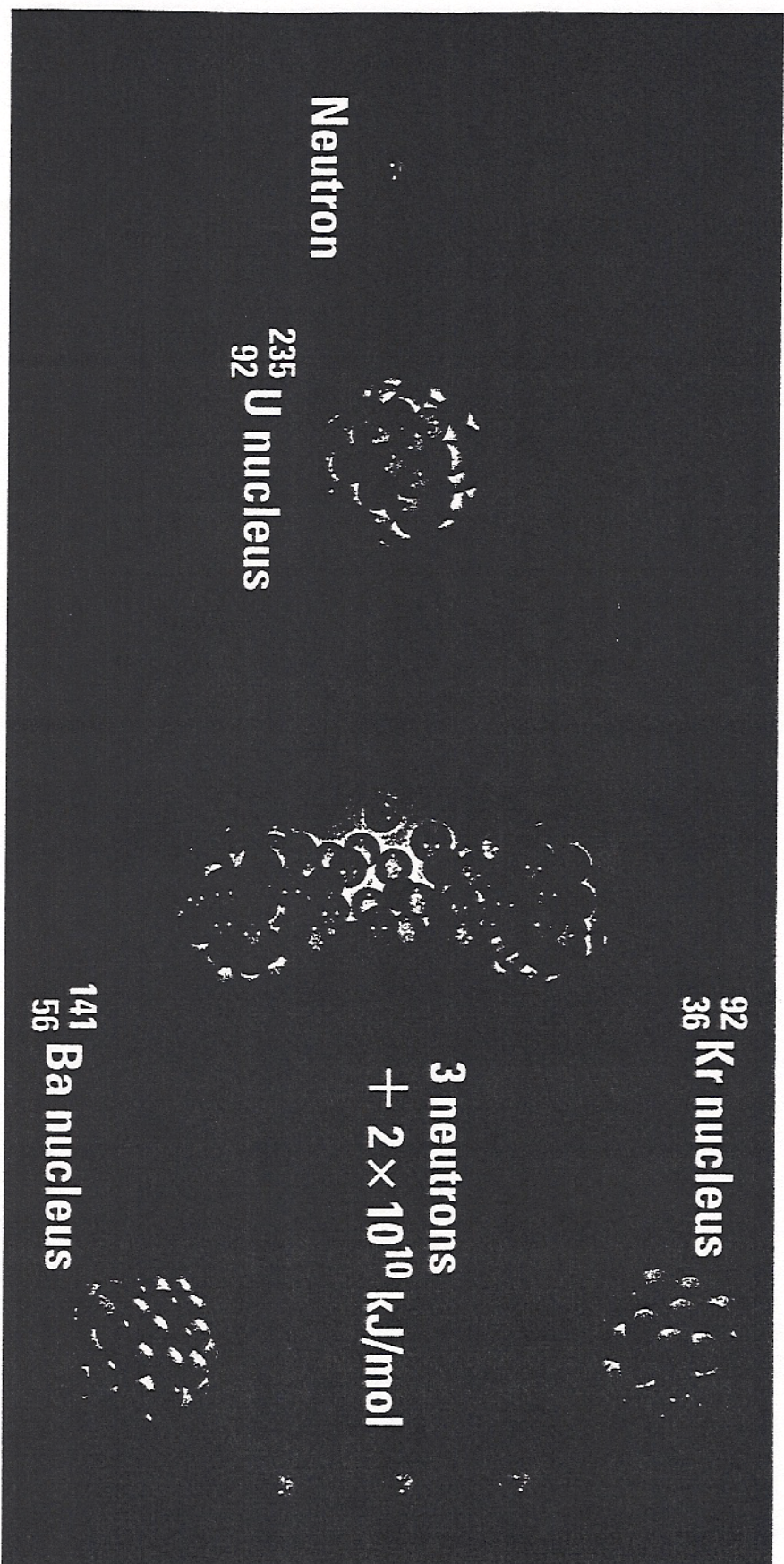
- steady-state concentration of $^{14}\text{CO}_2$ in air,
 formed via cosmic rays

- all living things incorporate $^{14}\text{CO}_2$
 (via photosynthesis, eating ...)

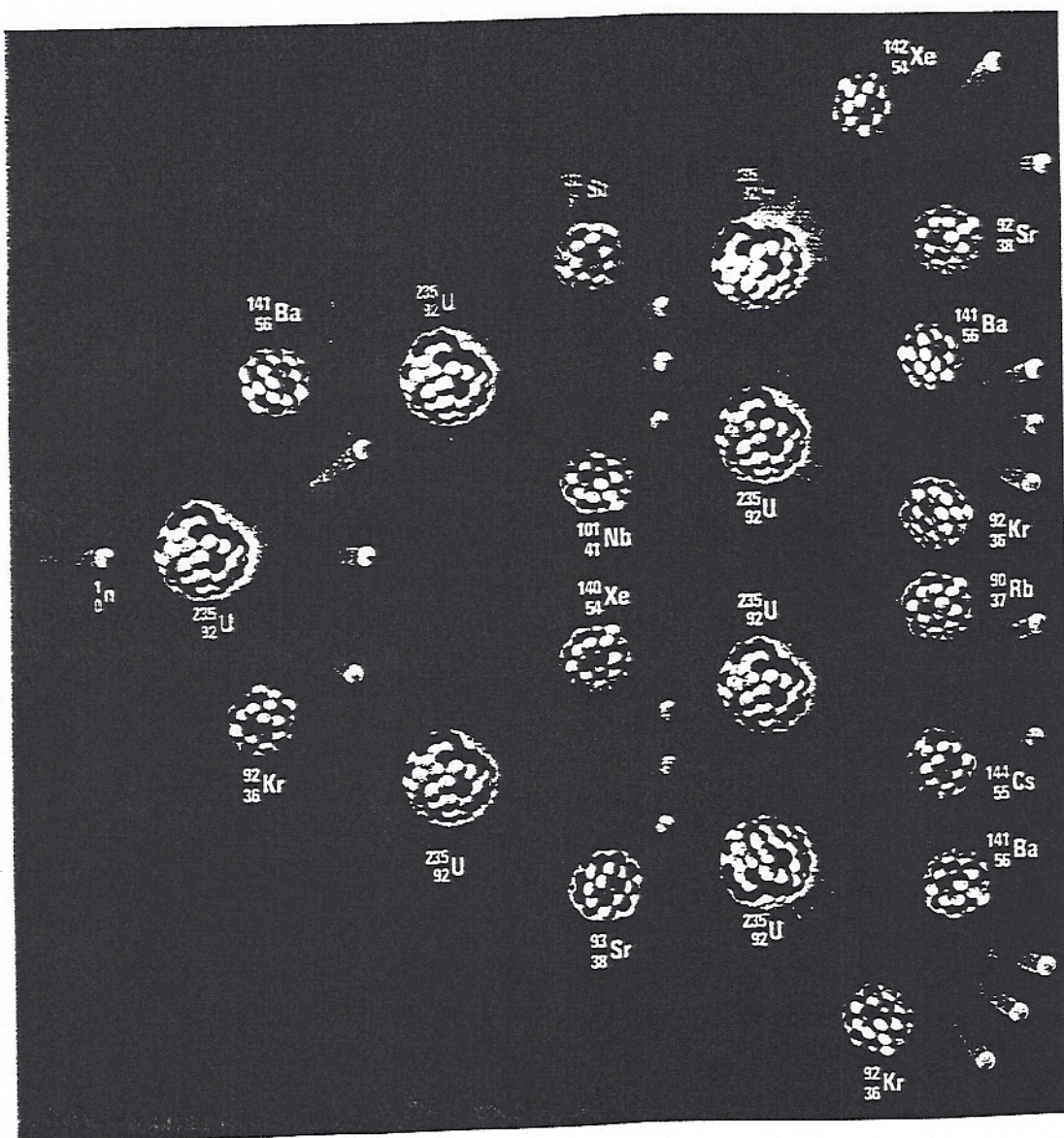
* the % ^{14}C (relative to total carbon) is constant
 for all living things! (m_0 is known!)

- at death, ^{14}C decays at $t_{1/2}$ rates

- comparing ^{14}C activity enables age dating for
 anything formerly "alive" (wood, cloth,
 anything ex-biological)



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Figure 2C



"Breeder Reactors": $^{238}\text{U} + \frac{1}{2}\text{n} \Rightarrow ^{239}\text{Pu}$
 nonfissile $\xrightarrow{\text{high speed}}$ fissile
 Plutonium is "hard" from ^{238}U

(2C-14)

- "supercritical", ≥ 1 neutron per fission gets captured by another ^{235}U , etc., proliferation

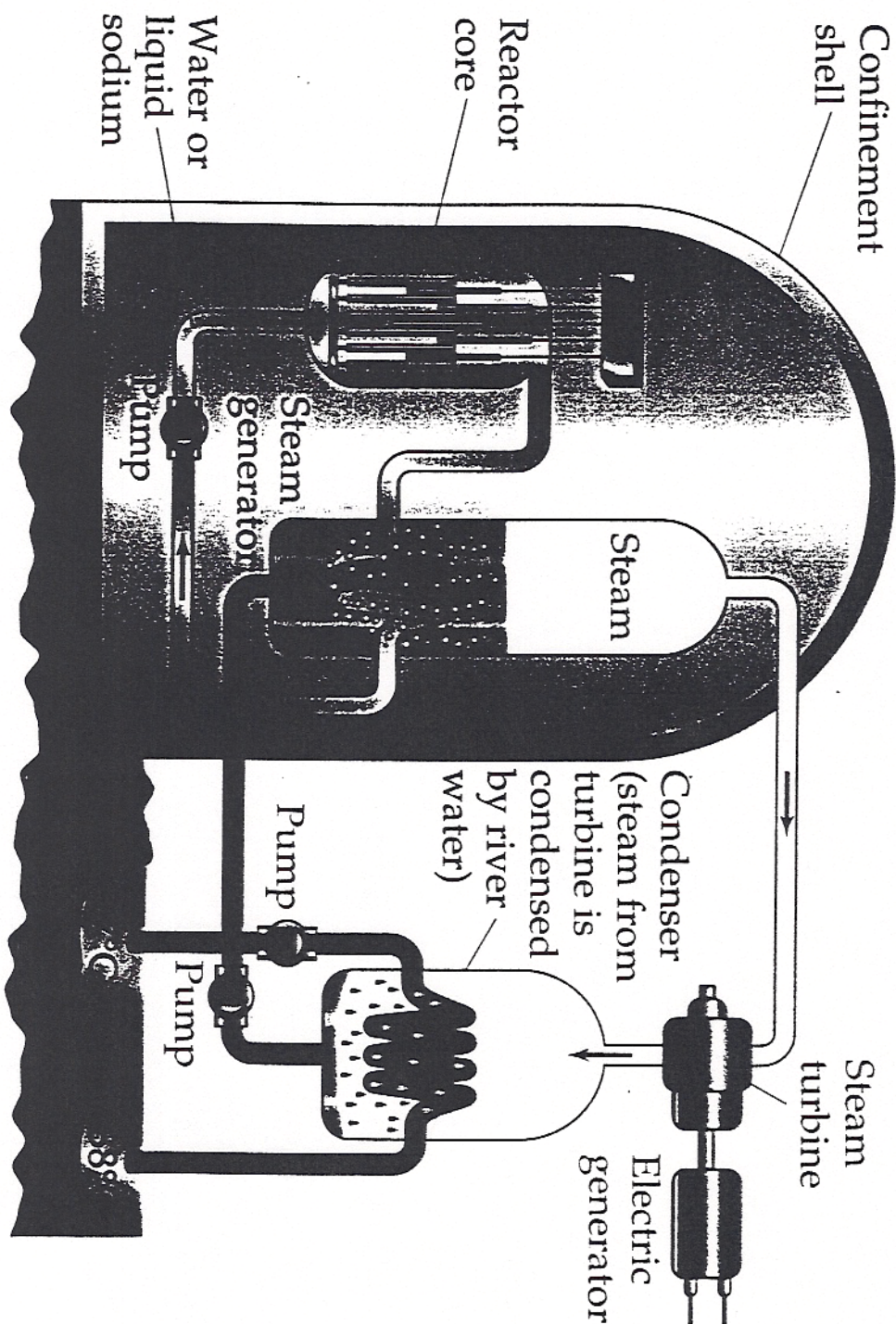
Atom bomb: 2 subcritical masses are combined to make supercritical!
 (chemical bomb propels one mass, smashes into other!)

Nuclear Reactors (Brown 21.2C)

- ① ^{235}U fuel rods (last for years)
 only 0.7% of ^{238}U need Pu for useful
 - subcritical: can't explode!
- ② Cd control rods: separate fuel rods, absorb n's
 - rate of chain reaction is adjusted by raising/lowering control rods
 (to control the rate of n's hitting a given fuel rod; as rod ages, needs more neutron hits to sustain rxn as ^{235}U gets less & less)
- ③ coolant (water) absorbs energy, produces steam that drives turbine $\Rightarrow \Rightarrow$ electricity

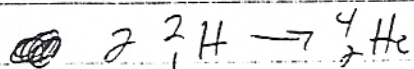
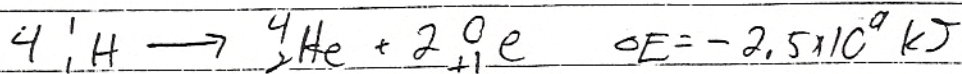
Concern: what do with spent fuel rods, still with radioactive content? Current: "vitrification", rods get "melted" and dissolved in liquid glass; poured in a steel can, cooled, and glassed over.
 For one year plant: one barrel only!

Fig. 21.20(a) Nuclear Reactor



2015

20.7 Nuclear Fusion



- solar process, sun's energy!

Ideal: no radioactive byproducts, huge energy, cheap HC fuel!!

Problem: huge temps needed (to overcome nuclear repulsion) to push H's together, materials to contain

H-Bomb: fission bomb used to provide heat needed to support fusion!

20.8 Radiation: Effects + Units

20.8 Radiation: Effects & Units

rad energy absorbed/body mass (dosage)
(1 food cal = 1/2 million rads)

rem biological damage

$$\text{effective dose} = \text{rads} \times \text{impact factor}$$

(dose) (quality)

Key: "rems" measures risk

a) not all rays equal

b) dosage doesn't consider variance in penetration

Typical: < 0.4 rems/year (cosmic, x rays, radon...)

> 25 rems to cause trace damage

> 500 rems 50% chance of death within 30 years

Rays & damage (depends on whether internal or external)

α : little penetration, only irritates outer skin
(bad if generated internally)

β : penetrates a few mm

* γ : high energy, deep penetration

- can generate DNA mutation

- not bad internally, because largely escape!