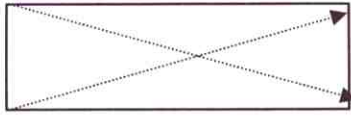


p. #15 correction #14 #135 box
#32 "Always" 2 "Guddul"

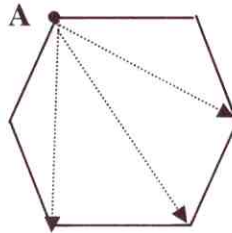
All answers that are measurements must include the unit of measure.

Include the symbol when naming geometric objects. For instance "line AD" should be written \overleftrightarrow{AD} .

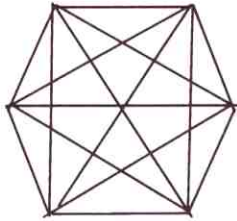
Diagonal of a polygon: A diagonal is a segment connecting two non-adjacent vertices in a polygon.



A rectangle has 2 diagonals.

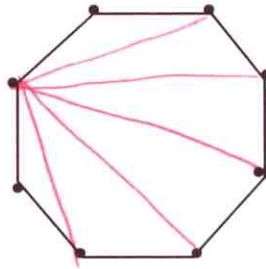
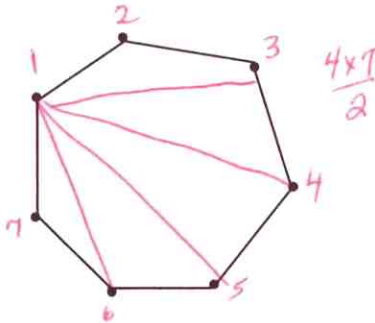
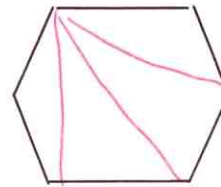
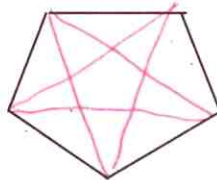
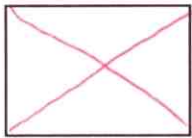


Diagonals from vertex A.
How many diagonals does a hexagon have, total?



Count them.

Draw all the diagonals in the following convex polygons. Use that information to fill in the table at the bottom of the page.



leaving each vertex
3 x 6 / 2
vertices
because each diagonal got counted twice

Polygon	Number of vertices	Number of Diagonals
rectangle	4	2
pentagon	5	5
hexagon	6	9
heptagon	7	14
octagon	8	20
nonagon	9	27
decagon	10	35
dodecagon	12	54

Study the table you have just made and then find the formula for the number of diagonals a polygon has, given the number of sides it has is n .

$$\frac{(n-3)n}{2}$$

Show how to find the solutions to the following set operations using color/shading to show the results of the set operations.

1. $\overline{AB} \cup \overline{BD} = \overline{AD}$



2. $\overrightarrow{AD} \cap \overline{BC} = \overline{BC}$



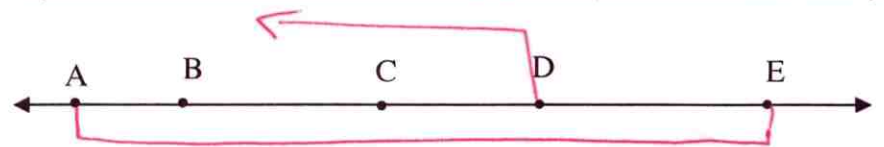
3. $\overline{DE} \cup \overrightarrow{EB} = \overrightarrow{EB}$



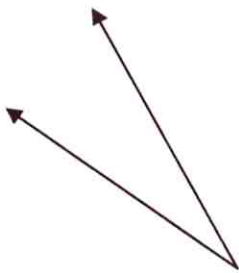
4. $\overleftrightarrow{BC} \cap \overline{DE} = \overline{DE}$



5. $\overline{AE} \cup \overrightarrow{DC} = \overrightarrow{ED}$



Measure the following angles using your protractor. Put your answer in the answer blank.



6. _____



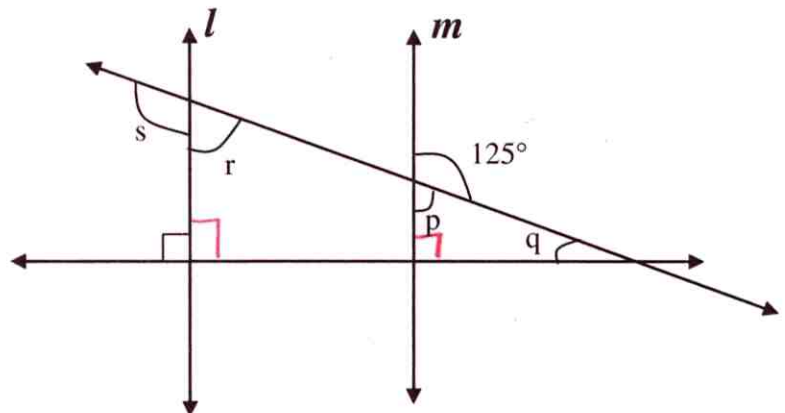
7. _____

8. Can a triangle have both a right angle and an obtuse angle? Explain your reasoning.

*No, because an obtuse angle is $> 90^\circ$.
So a right angle + an obtuse angle is $> 180^\circ$
so those 2 angles can't both be in the same triangle.*

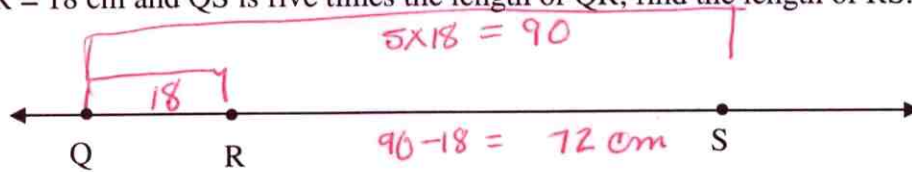
9. In the diagram below, lines l and m are parallel. Find the following angle measures:

- (a) measure $\angle p = 55^\circ$
 $180 - 125$
 (b) measure $\angle q = 35^\circ$
 $180 - (90 + 55)$
 (c) measure $\angle r = 55^\circ$
corresponding
 (d) measure $\angle s = 125^\circ$
 $180 - 55$



*because a triangle's
interior angles always
add up to 180° .*

10. Given $\overline{QR} = 18$ cm and \overline{QS} is five times the length of \overline{QR} , find the length of \overline{RS} .



$$\frac{18}{2} = 9$$

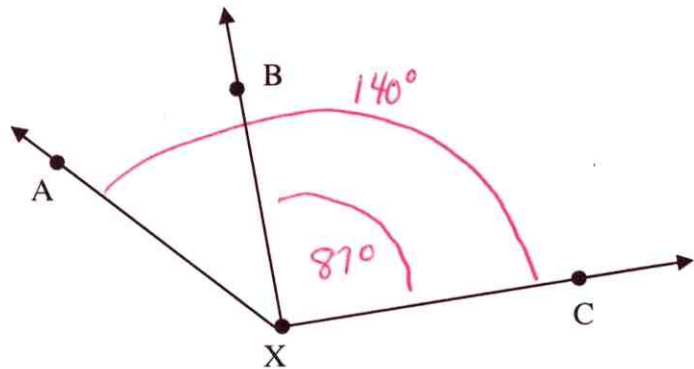
(a) $\overline{QS} = 90$ cm

(b) $\overline{RS} = 72$ cm

11. Given $\angle CXB = 87^\circ$ and $\angle AXC = 140^\circ$, find the measure of $\angle BXA$.

$m \angle BXA = 53^\circ$

$$\begin{array}{r} 140 \\ - 87 \\ \hline 53 \end{array}$$

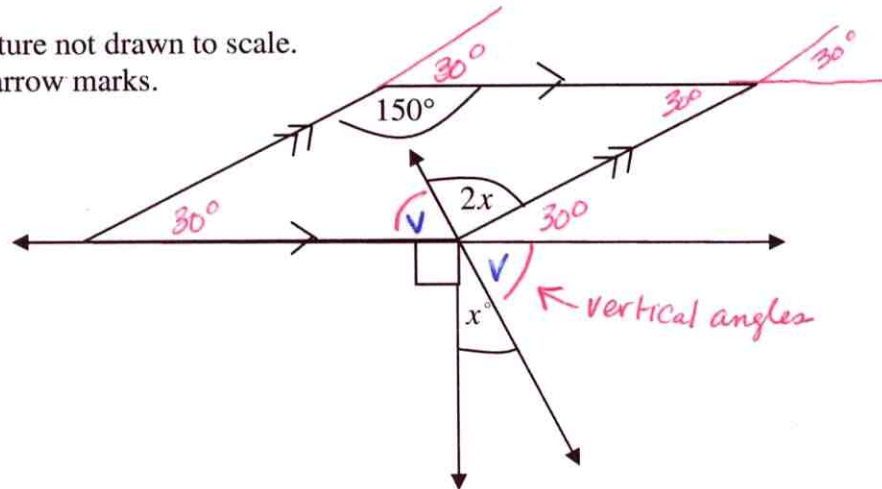


12. Show how to find the value of x . Picture not drawn to scale. Parallel lines are shown with on-line-arrow marks.

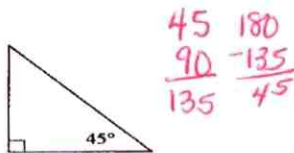
$$2x + 30^\circ + v = v + 90^\circ + x$$

$$2x + 30^\circ = 90^\circ + x$$

$$x = 60^\circ$$

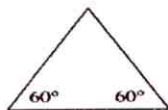


13. Below each triangle (a) identify it as acute, obtuse, or right and (b) tell the measure of the 3rd angle.



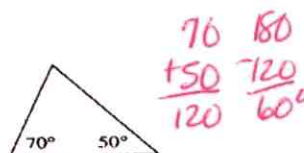
(a) right

(b) 45°



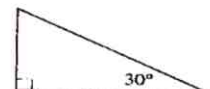
(a) Acute

(b) 60°



(a) acute

(b) 60°



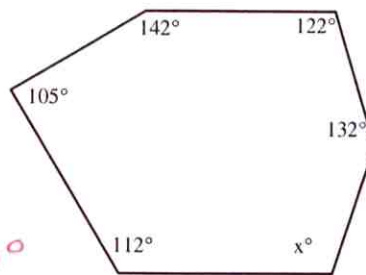
(a) right

(b) 60°

14. Find the measurement of angle x in the following figure:

$n = 6$ sides

$$\begin{aligned} \text{total interior angles} &= (n-2)180^\circ \\ &= 4(180^\circ) = 720^\circ \end{aligned}$$



So $105 + 142 + 122 + 132 + 112 + x = 720^\circ$

$613 + x = 720^\circ$ and so $x = 107^\circ$

15. For the polygon in problem #14, what is the sum of the measures of the exterior angles?

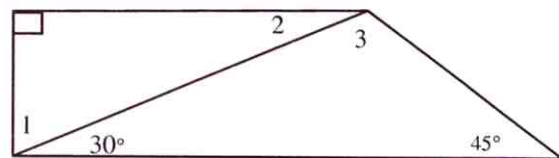
360°

16. Find the measures of the angles 1, 2, and 3 given that TRAP is a trapezoid with TR parallel to PA.

$m\angle 1 = 60^\circ$ $\text{sum } \Delta = 180^\circ$

$m\angle 2 = 30^\circ$ alt. interior

$m\angle 3 = 105^\circ$ $\text{sum } \Delta = 180^\circ$



$m\angle 3 + 30^\circ + 45^\circ = 180^\circ$

$m\angle 3 = 105^\circ$

17. Home plate on a baseball field has three right angles and two other congruent angles. (See diagram below). Find the measures of the each of these other two angles.

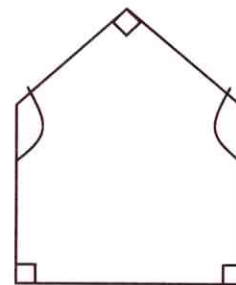
pentagon has 5 sides

$$\begin{aligned} \text{sum interior angles} &= (n-2)180^\circ \\ &= 3(180^\circ) \\ &= 540^\circ \end{aligned}$$

the 3 right angles total $90 \times 3 = 270^\circ$

that leaves $540 - 270 = 270^\circ$ for the other two angles.

Since those angles are congruent, each must be $\frac{270}{2} = 135^\circ$



- 18.

PQRS is a square.

RST is an isosceles triangle.

$RS = ST$

Find $\angle w = 40^\circ$

ΔQPR must total 180° and base angles are equal so base angles are each 45° ($\angle QRP$ and $\angle QPR$)

$\angle RPS$ is complementary to $\angle RPQ$

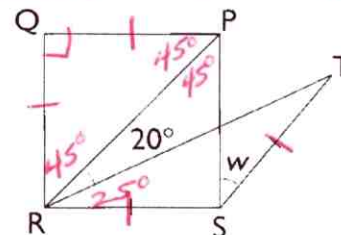
$m\angle QRS = 90^\circ = 45^\circ + 20^\circ + m\angle TRS$

so $m\angle TRS = 25^\circ$

and $m\angle STR = 25^\circ$ because base angles isosc. Δ

$\angle PSR$ is a right angle because PQRS is a square

So the sum of the interior angles of $\Delta RST = 180^\circ = 25 + 90 + w + 25$



$w = 40^\circ$

which means

19.

MKL is an equilateral triangle.

IM // JL

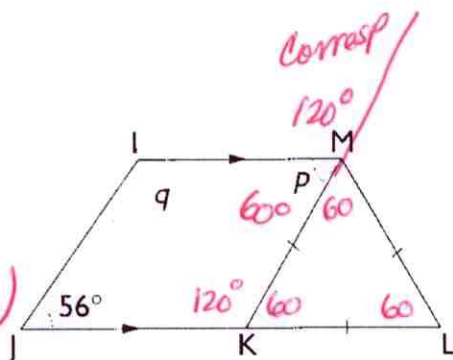
Find $\angle p$ and $\angle q$.

p is supplementary to 120°
(because of corresp. angle)

$$\text{so } m\angle p = 60^\circ$$

the sum of the interior angles of a convex quadrilateral is 360° so $q + 60^\circ + 56^\circ + 120^\circ = 360^\circ$

$$\text{and so } q = 124^\circ$$



20.

t , m , a , and b are lines.

Line a is parallel to line b .

Fill in the blanks below to make each statement true.

a. $\angle 9$ is vertical to \angle 11

b. $\angle 14$ is corresponding to \angle 7

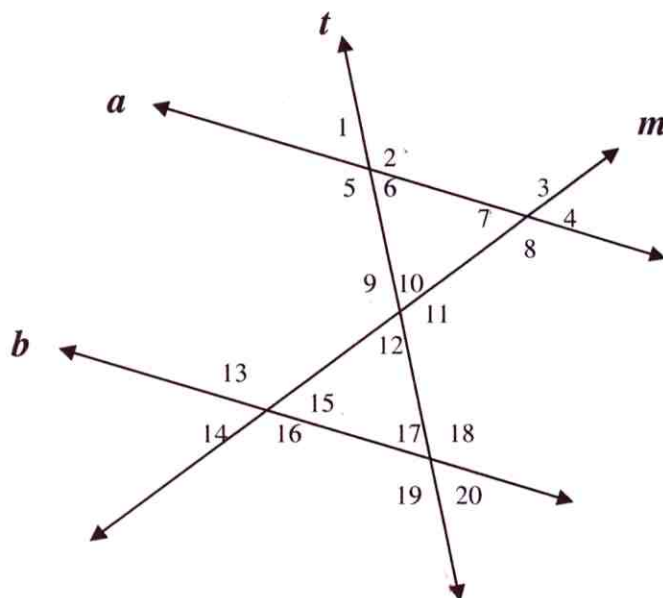
c. $\angle 7$ is alternate interior to \angle 15

d. $\angle 2$ is alternate exterior to \angle 19

e. $\angle 9$ is supplementary to \angle 10 and \angle 12

f. $\angle 8$ is corresponding to \angle 16

g. $\angle 17$ is vertical to \angle 20



21. What is the measure of each angle of a regular (and convex) dodecagon (12 sides)?

$$\begin{aligned} \text{sum of all interior angles} &= (n-2)180 \\ &= (12-2)180 \\ &= 10(180) \end{aligned}$$

$$\text{since regular all angles are } = 1800 \text{ the same measure so each one is } \frac{1800}{12} = 150^\circ$$

22. A 20-gon will have how many diagonals?

$$\frac{(n-3)n}{2} = \frac{(20-3)20}{2} = \frac{17(20)}{2} = 170 \text{ diagonals}$$

ALWAYS

For each figure listed below, match EVERY quality from the second list which the figure will have. Keep the letters in alphabetic order.

- A B C D E F G H 23. Rectangle
B C E H 24. Parallelogram
C F 25. Isosceles Triangle
B C H 26. Isosceles Trapezoid
A B C E F H 27. Rhombus
B H 28. Trapezoid
A C F G 29. Regular Polygon
C F H 30. Kite
A B C D E F G H 31. Square
A C F G 32. Equilateral Triangle

- A. all sides the same length
B. one or more pairs of parallel sides
C. at least two sides the same length
D. 4 right angles
E. two pair of parallel sides
F. 1 or more pairs of adjacent sides the same length
G. all the interior angles the same measure
H. is a quadrilateral

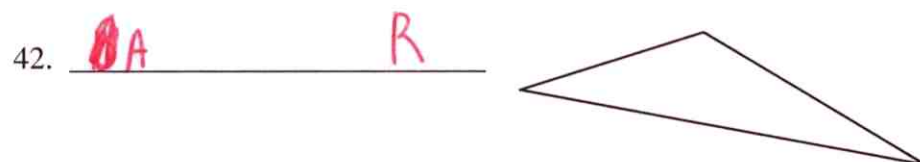
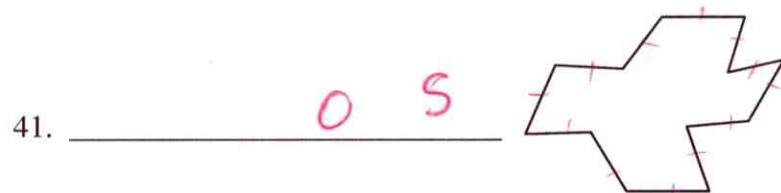
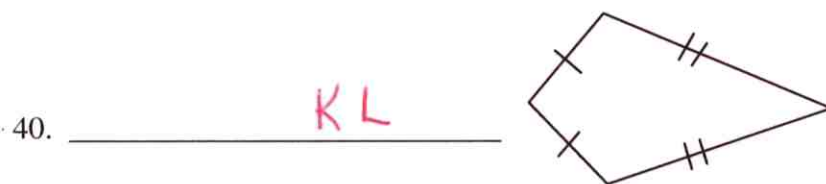
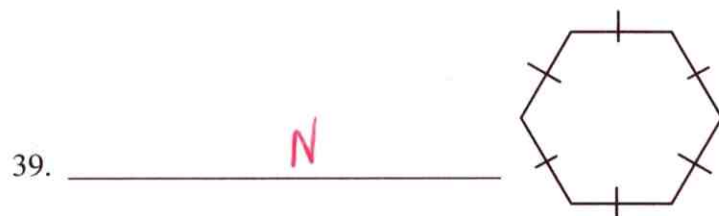
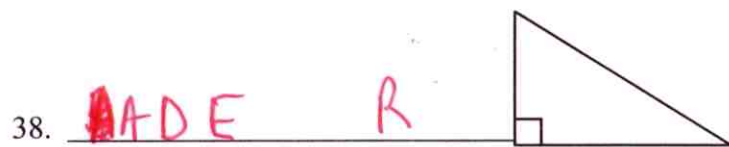
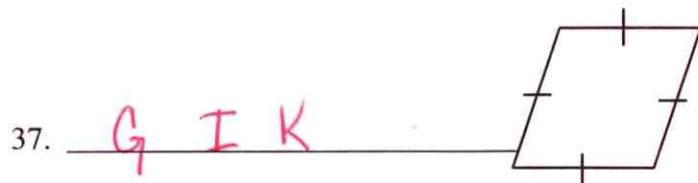
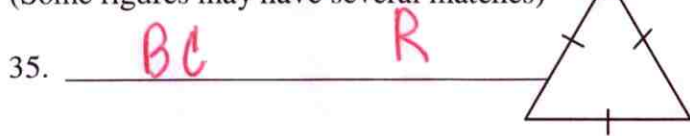
33. What are the 3 qualities every polygon MUST have?

- a. *simple*
b. *closed*
c. *made of straight lines*

34. List 4 things you should teach your students to help them use their protractors correctly.

- a. *center of protractor*
b. *base line of protractor*
c. *how to line up protractor on angle*
d. *how to read the scales*

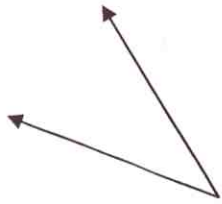
For each of these figures, list ALL of the terms from the box at the right that apply.
(Some figures may have several matches)



- A. Scalene Triangle
- B. Isosceles Triangle
- C. Equilateral Triangle
- D. Right Triangle
- E. Right Scalene Triangle
- F. Square
- G. Rhombus
- H. Rectangle
- I. Parallelogram
- J. Trapezoid
- K. Quadrilateral
- L. Kite
- M. Pentagon
- N. Hexagon
- O. Dodecagon
- P. Regular Polygon
- ~~Q. Quadrilateral~~
- R. Triangle
- S. Concave Polygon

Do the following using only compass and straight edge. You know the rules. I have to see correct arcs.

41. Copy this angle.



42. Copy and then bisect this segment.



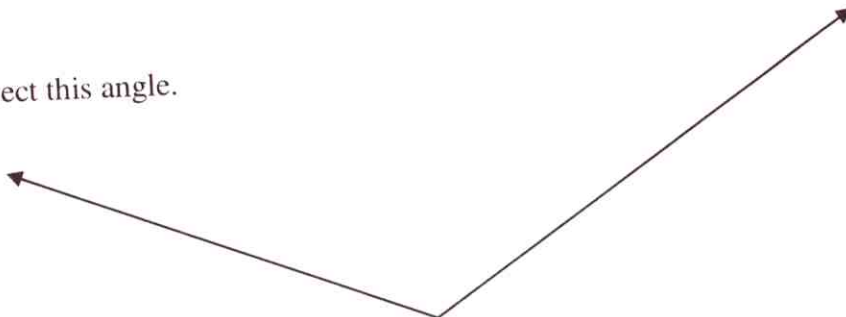
43. Draw a perpendicular to this line at the point C.



43. Draw a perpendicular to this line through the point F



44. Bisect this angle.



*Use the directions
in your notes
and be sure you
can do these
constructions*